



Basin analysis and Prediction of the development of anomalous fluid pressure at depths in the Western Foothills of Taiwan



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PURPOSE

Estimation to hydraulic properties

→permeability structure / porosity distribution / specific storage
at the depth of the Western Foothills in Taiwan

→sedimentary basin / focal area / accretionary prism
by the way of surface samples and laboratory result!

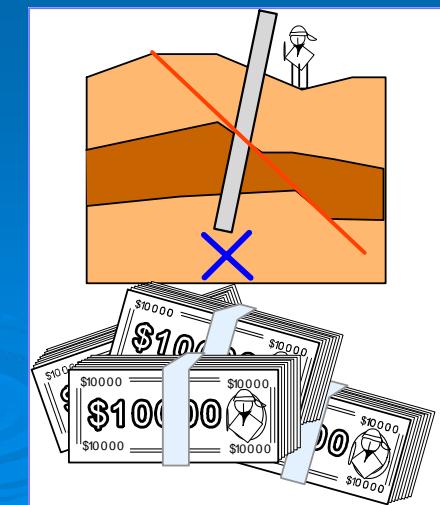
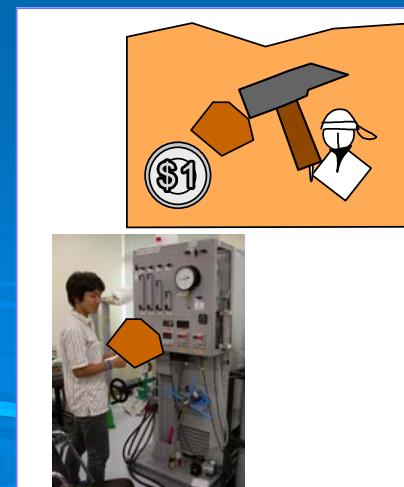
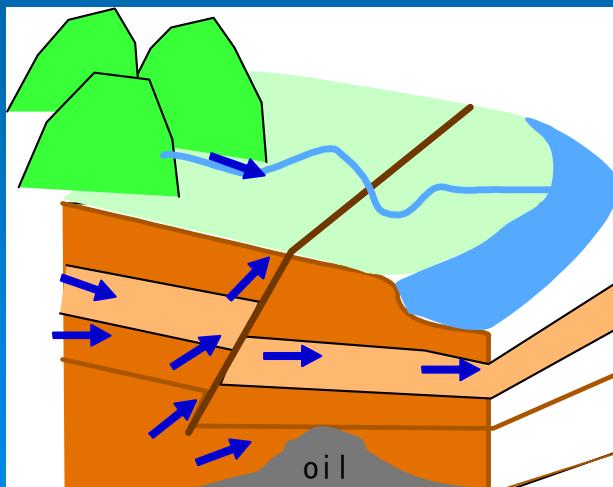
IMPORTANCE

① Application for

- ⇒fluid / oil transport system of the basin / fault zone at depth
- ⇒fault mechanism (ex. Thermal pressurization)

② Help borehole test (in-situ test)

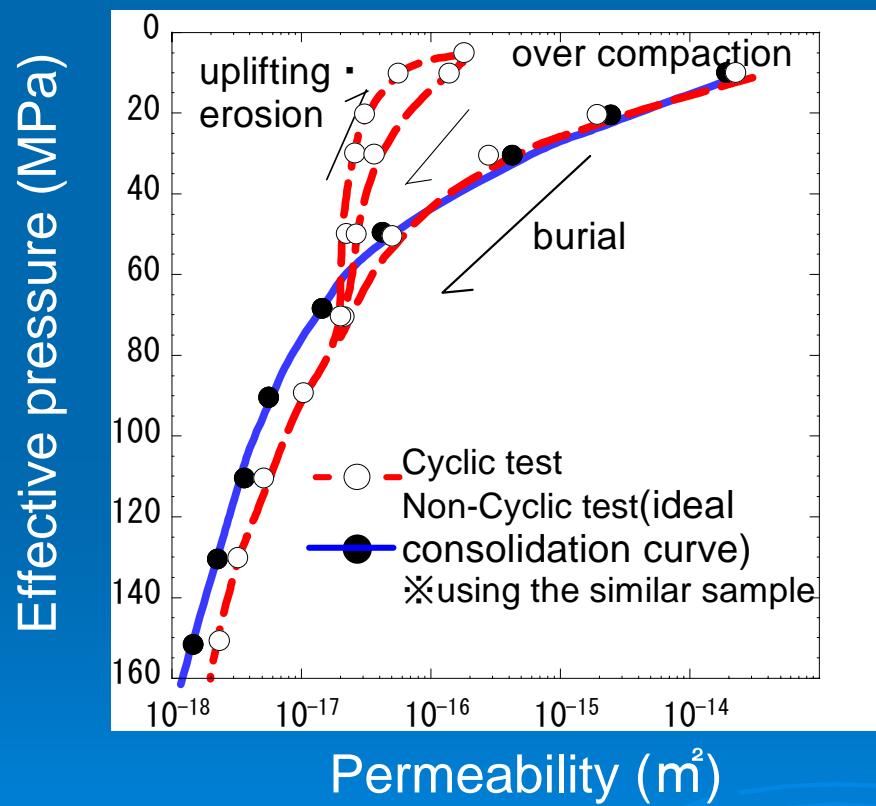
- ⇒In-situ test has a limit to cost and observation of internal structure
- ⇒laboratory tests and surface samples are CHEAPER!!



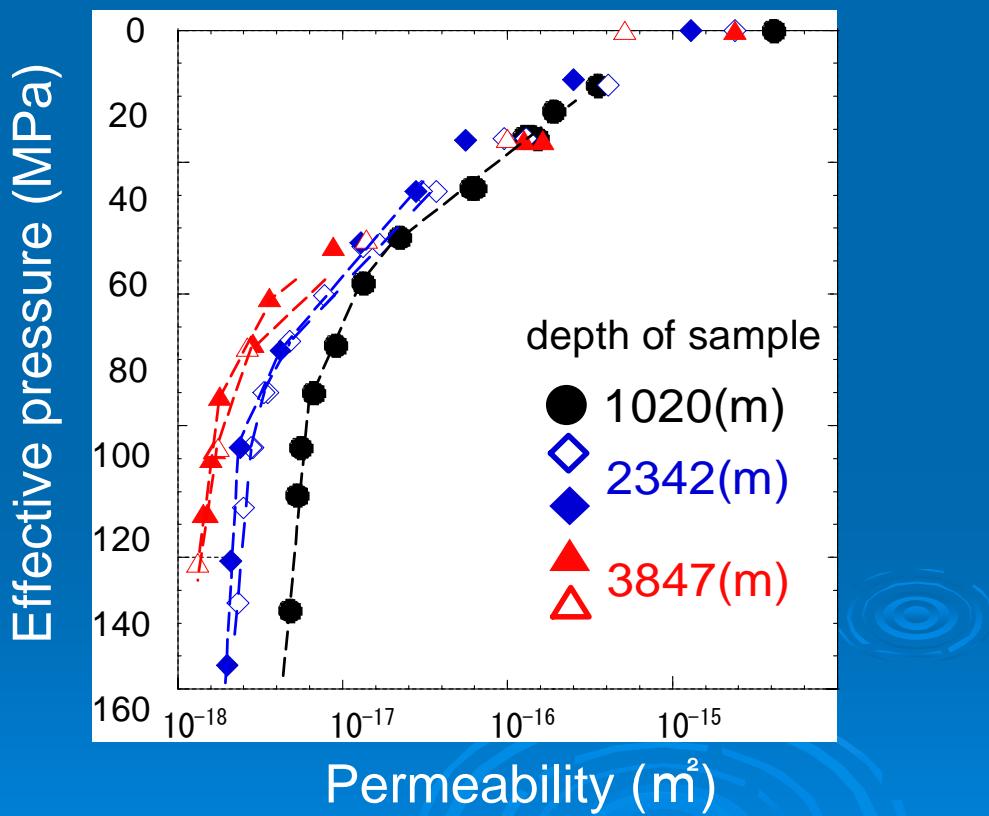


How to apply laboratory result to the real depth of nature? (in the case of sedimentary rock)

- ① Reproduce the depth condition \Rightarrow Generation of Temperature and Pressure
- ② Evaluate the overconsolidation affected by previous loading
- ③ Evaluate of time dependent – compaction \Rightarrow Comparison different ages of samples
- ④ Estimate the abnormal fluid pressure
 \Rightarrow analysis to the development of the sedimentary basins



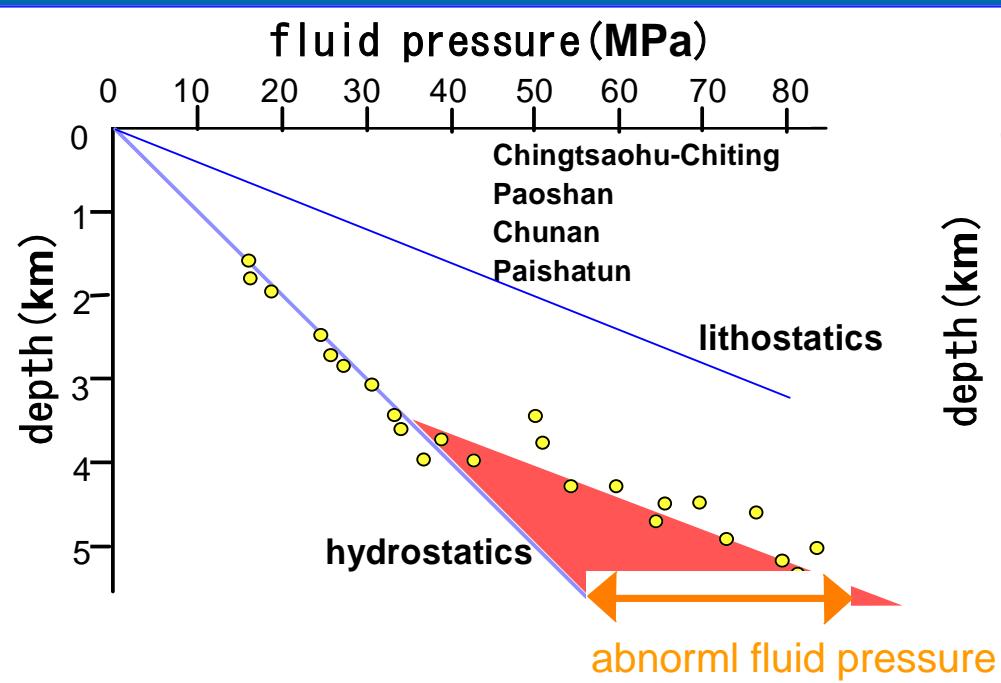
surface samples are over compacted and shows larger permeability than ideal consolidation curve.



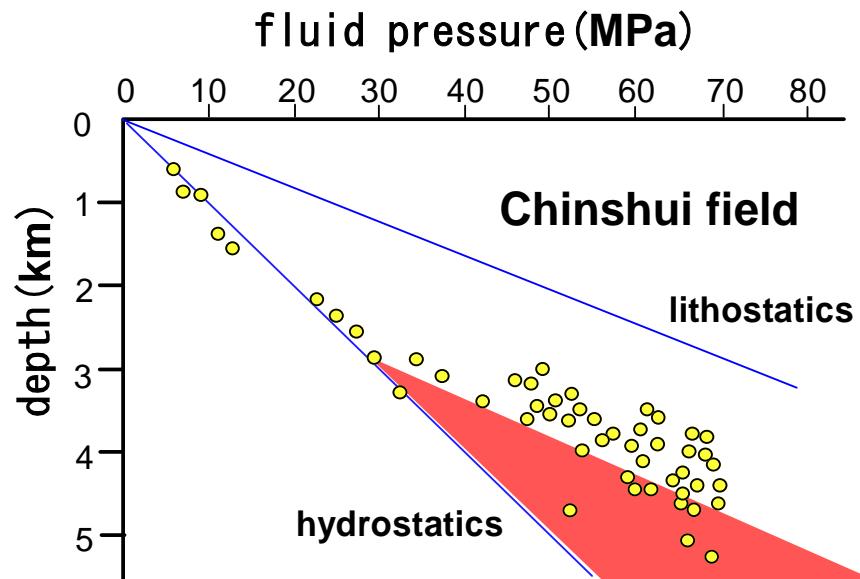
older rocks showed lower permeability because of the time depending compaction effect



What's ABNORMAL FLUID PRESSURE?



abnormal fluid pressure
= fluid pressure - hydrostatic pressure



Generated from the depth 3~4km
Getting larger at the deeper

Fluid pressure data from boreholes at the northwest of Taiwan (Suppe & Wittke 1977)

abnormal fluid	geopressure gradient	depth - Pe
×	hydrostatic	proportional
○	lager than hydrostat	✗

Experimental data
Pe - Permeability
Pe - Porosity

We Can Guess...

depth - permeability

?



Why ABNORMAL PRESSURE generated in the depth?

- ① Fluid in a basin undrained by increasing loading pressure and decreasing permeability
- a. sedimentation
 - b. tectonic loading

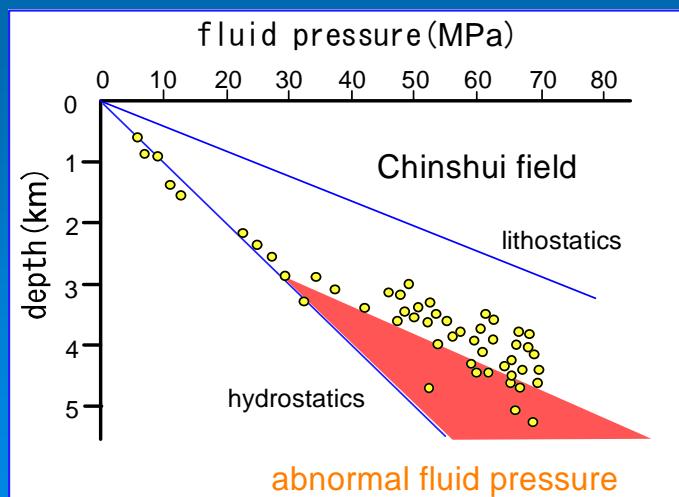
It depend on the sediment environment and permeability structure

- ② Volume change in aquathermal expansion
- a. temperature gradient
 - b. heat origin

- ③ Fluid movement from subduction boundary (Rice 1992)

- ④ Dehydration (diagenesis) effect

- a. smectite → illite + water
- b. gypsum → anhydrite + water
- c. hydrocarbon generation



effective if
SEALING LAYER
developed

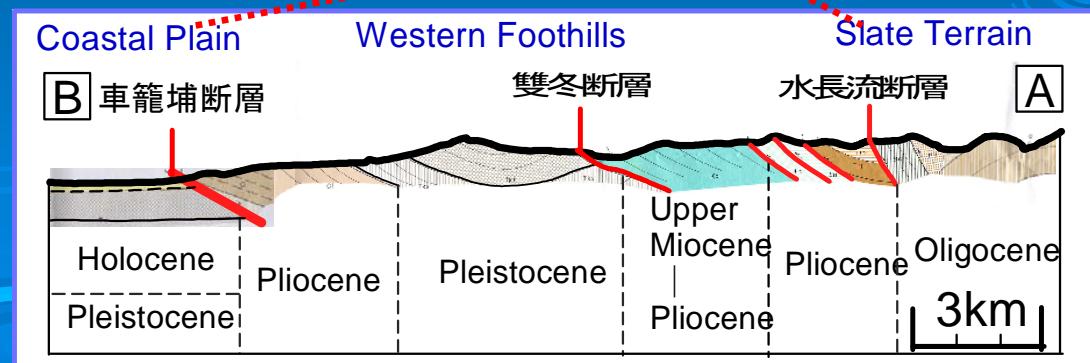
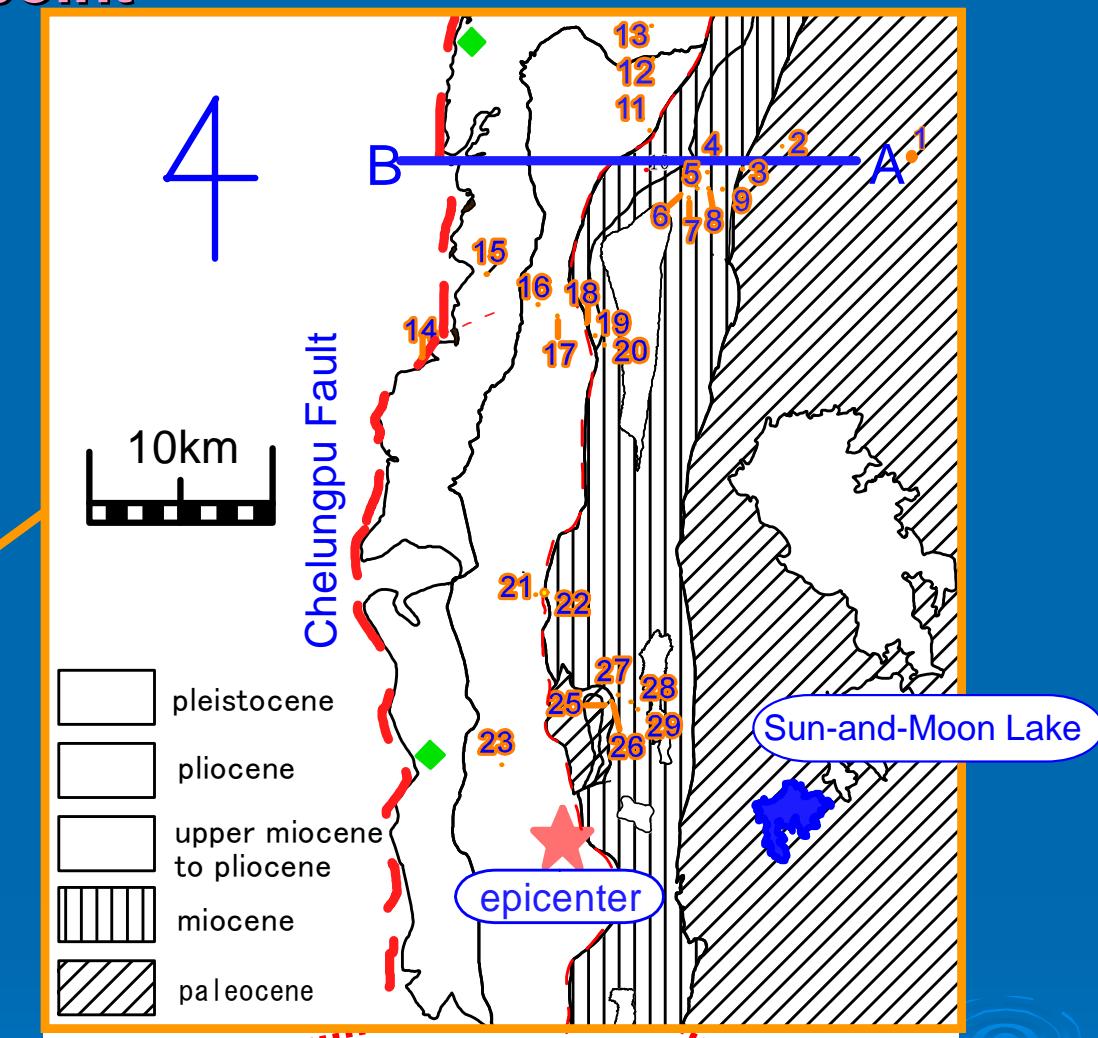
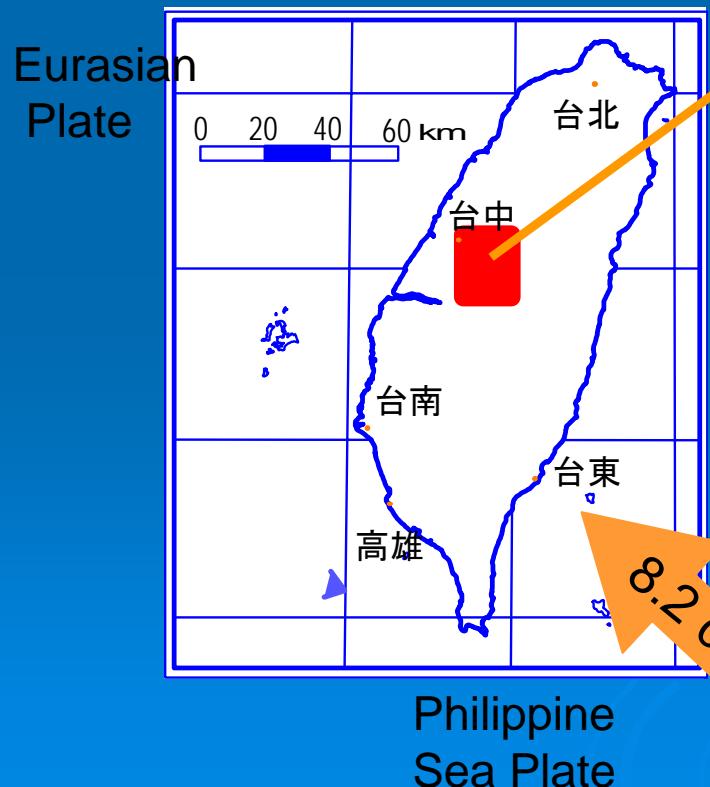
we need to know
PERMEABILITY STRUCTURE
at a depth of the Western Foothills



Study area and Sampling point

The Western Foothills

- ① sandstone rich sedimentary rock
- ② Pleistocene to Miocene
- ③ take different ages of sample (tectonic collision)
- ④ 1999 Chi-Chi earthquake
- ⑤ oilfield ··· a lot of drill data





METHODS

condition

- temperature room temperature ($\approx 20^{\circ}\text{C}$)
- confining medium/pore fluid N₂ gas
- confining pressure 0~200MPa
- sample size $\phi\ 20\text{mm} \times L\ 10\sim50\text{mm}$

Sample picture



permeability

① steady flow method

$$P_p = 0.2 \sim 2.0 \text{ MPa}$$

$$K = 10^{-14} \sim 10^{-18} \text{ m}^2 \text{ (higher permeability)}$$

$$(1 \text{ darcy} = 10^{-12} \text{ m}^2 \approx 10^{-3} \text{ cm/sec})$$

② pore pressure oscillation method (Kranz 1990)

$$P_p = 20 \text{ MPa} \text{ (constant)}$$

$$K = 10^{-15} \sim 10^{-21} \text{ m}^2 \text{ (lower permeability)}$$

porosity

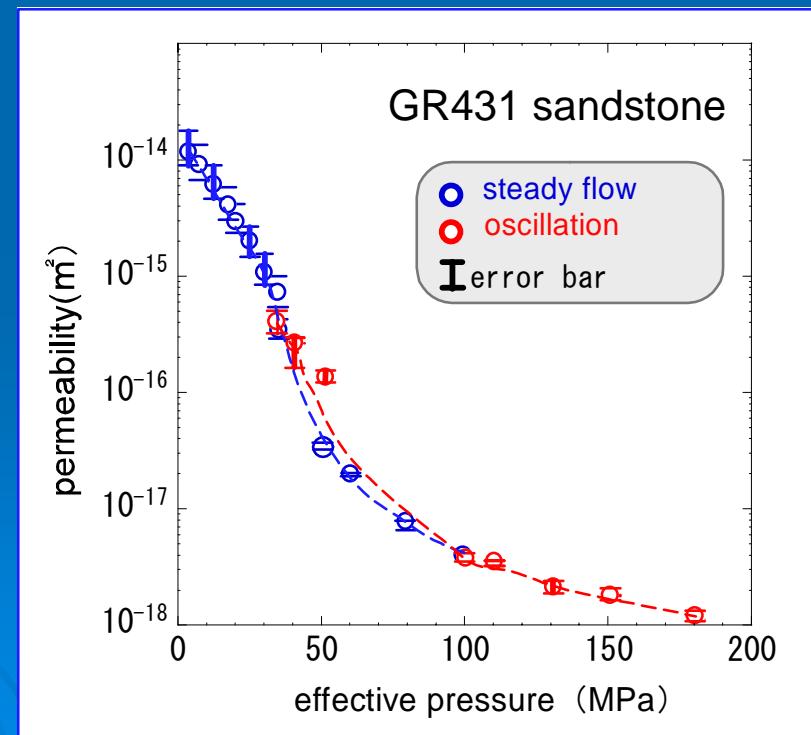
Spacemen assembly



Pressure vessel and Piston



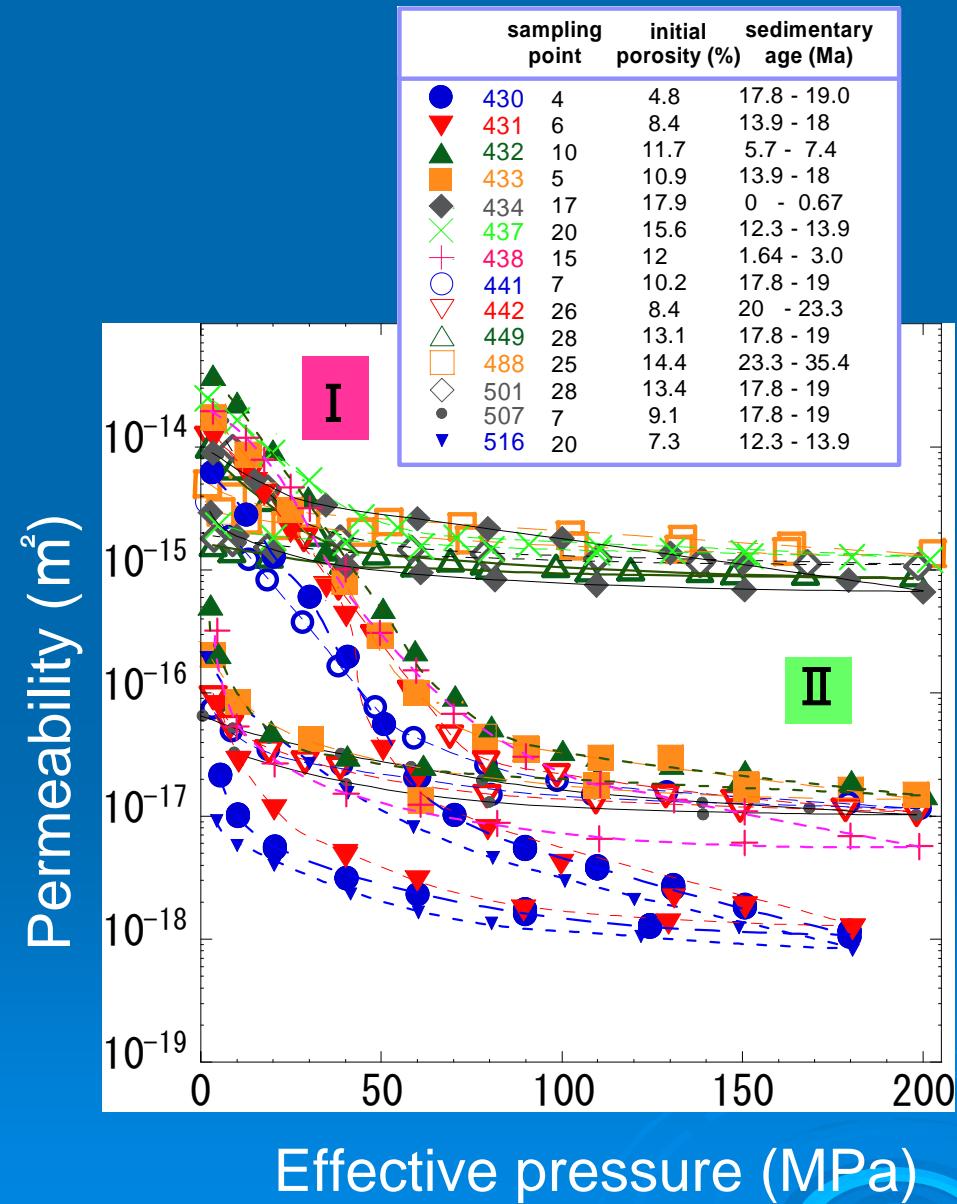
Comparison of two methods





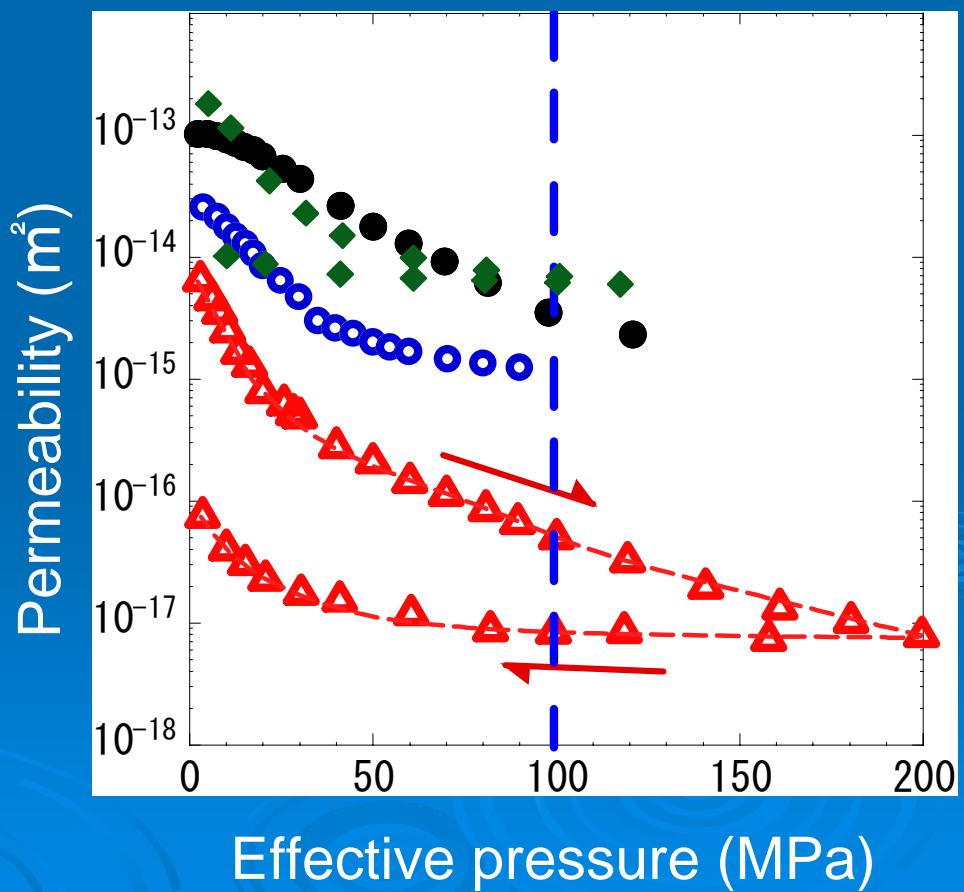
RESULTS of PERMEABILITY①

sandstone ($10^{-14} \sim 10^{-18} \text{ m}^2$)



conglomerate ($10^{-13} \sim 10^{-17} \text{ m}^2$)

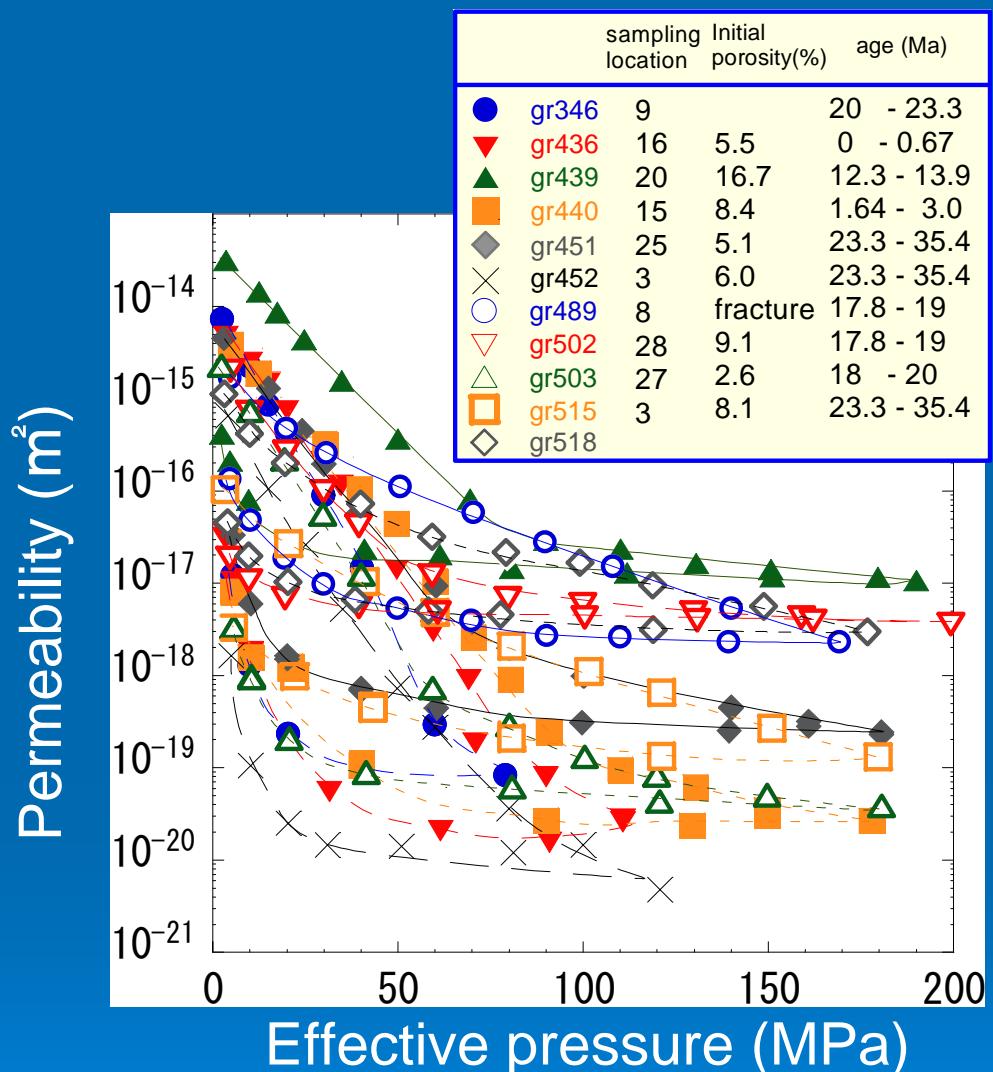
- GR435 12 conglomerate
- GR400 matrix in conglomerate
- △ GR392 sandy matrix
- ◆ GR535 12 conglomerate



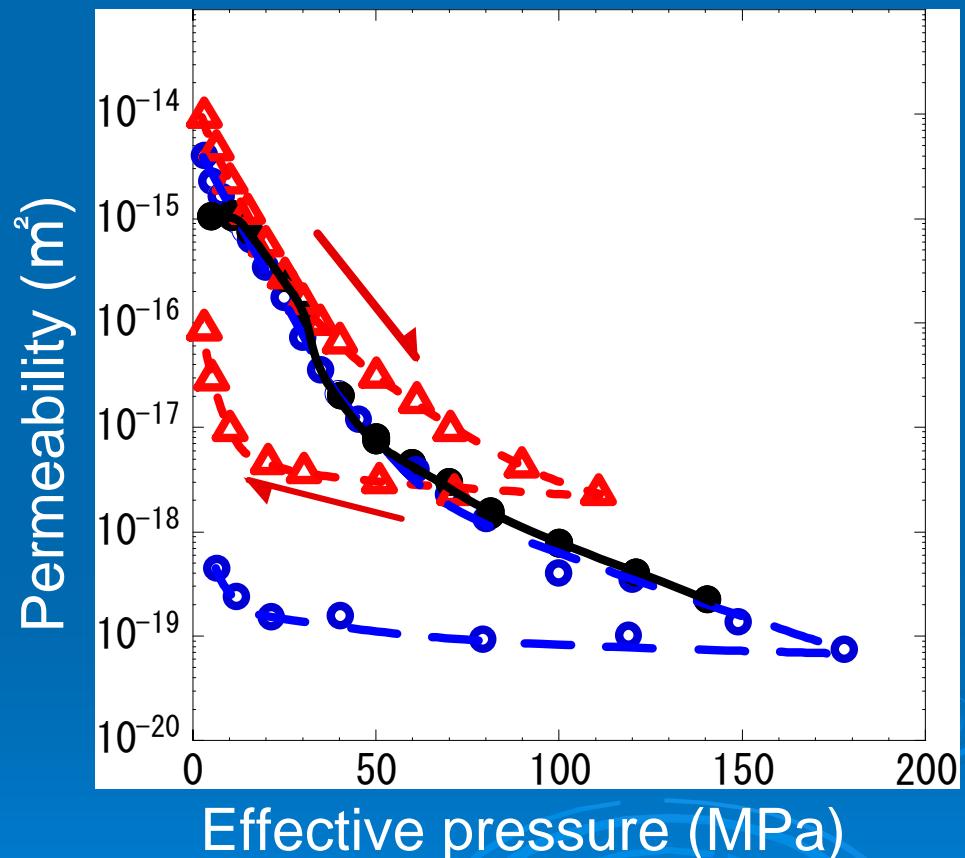
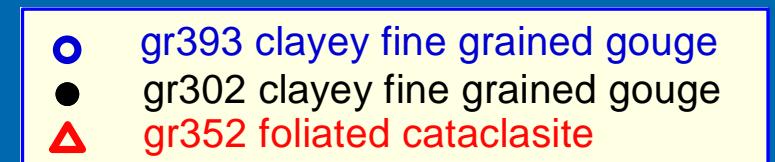


RESULTS of PERMEABILITY②

siltstone·shale ($10^{-14} \sim 10^{-21} \text{ m}^2$)



fault rock (Chelungpu Fault)
($10^{-14} \sim 10^{-19} \text{ m}^2$)

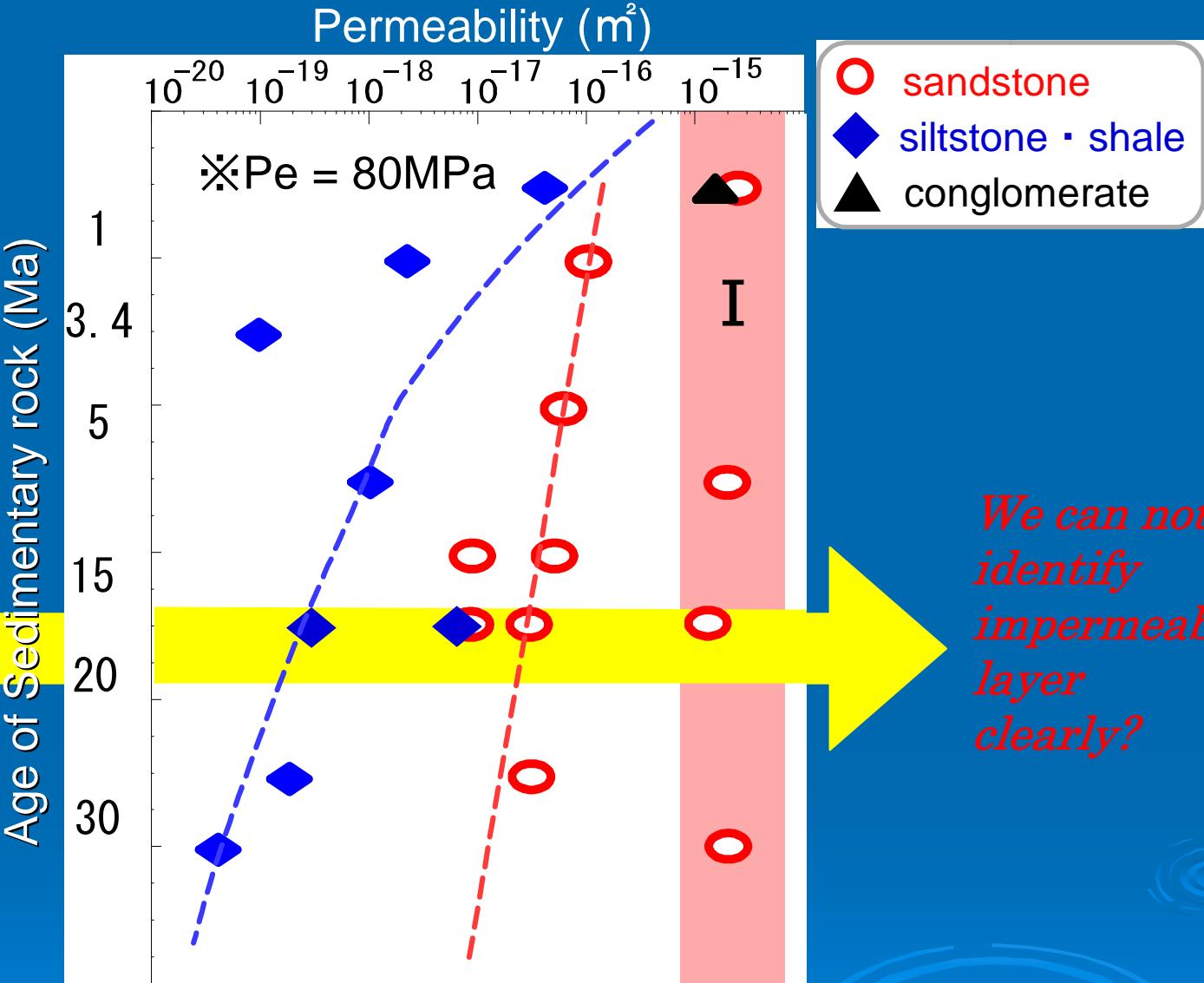


- 1. fault rock \doteq siltstone
- 2. sandstone can be classified into 2 groups
- 3. siltstone < sandstone < conglomerate \rightarrow grain size



TIME-DEPENDENT COMPACTION

Holocene	沖積層
Pleistocene	頭科山層
	卓蘭層
	錦水頁岩
	桂竹林層
Miocene	福隆園層
	猴洞坑層
	石門村層
	炭寮地段
	十四股段
Oligocene	水長流層
	粗坑層



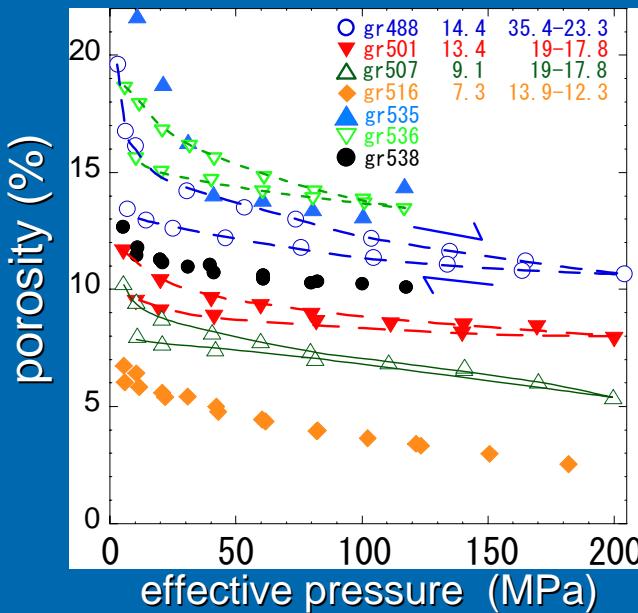
We can not identify impermeable layer clearly?

time-dependent compaction
(pressure solution/grain rearrangement/chemical cementation)



POROSITY and SPECIFIC STORAGE

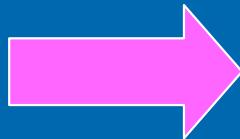
sandstone



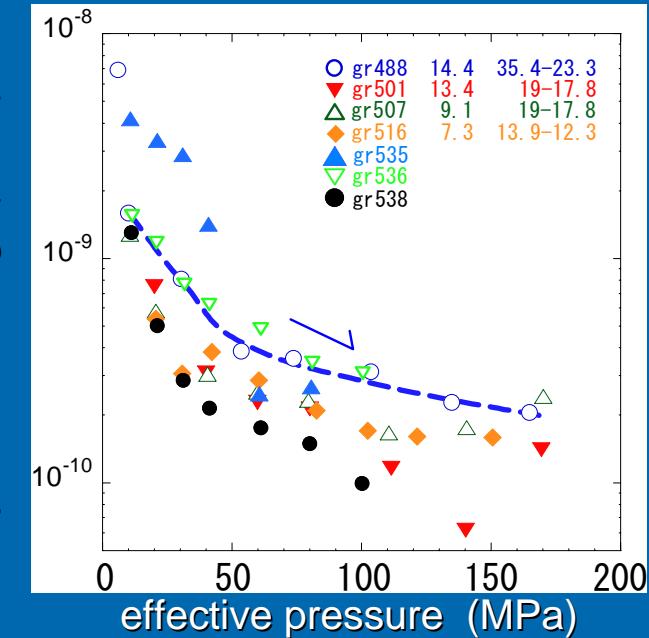
specific storage

$$S_s = \frac{1}{1-\Phi} \frac{\Delta \Phi}{\Delta P_e} + \Phi \cdot \beta_f$$

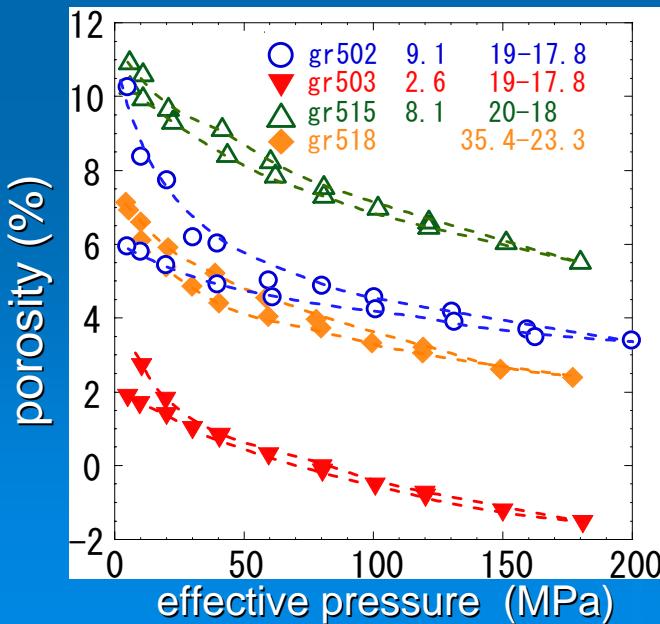
Φ : porosity
 β_f : compressibility of water
 $=4.4 \times 10^{-10}$



sandstone

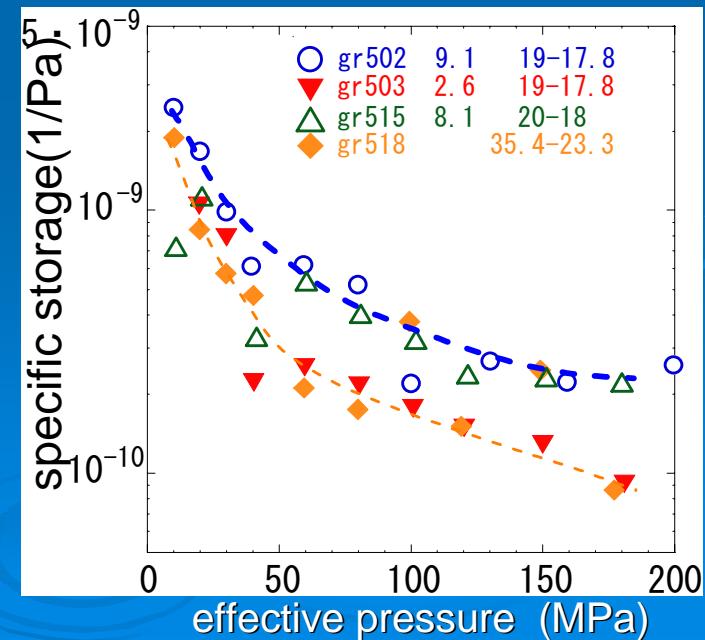


siltstone



- ①these parameters have pressure sensitivity
- ②sandstone and siltstone showed similar values
- ③specific storage shows smaller change to Pe (1 ~ 2 order) compared to permeability

siltstone



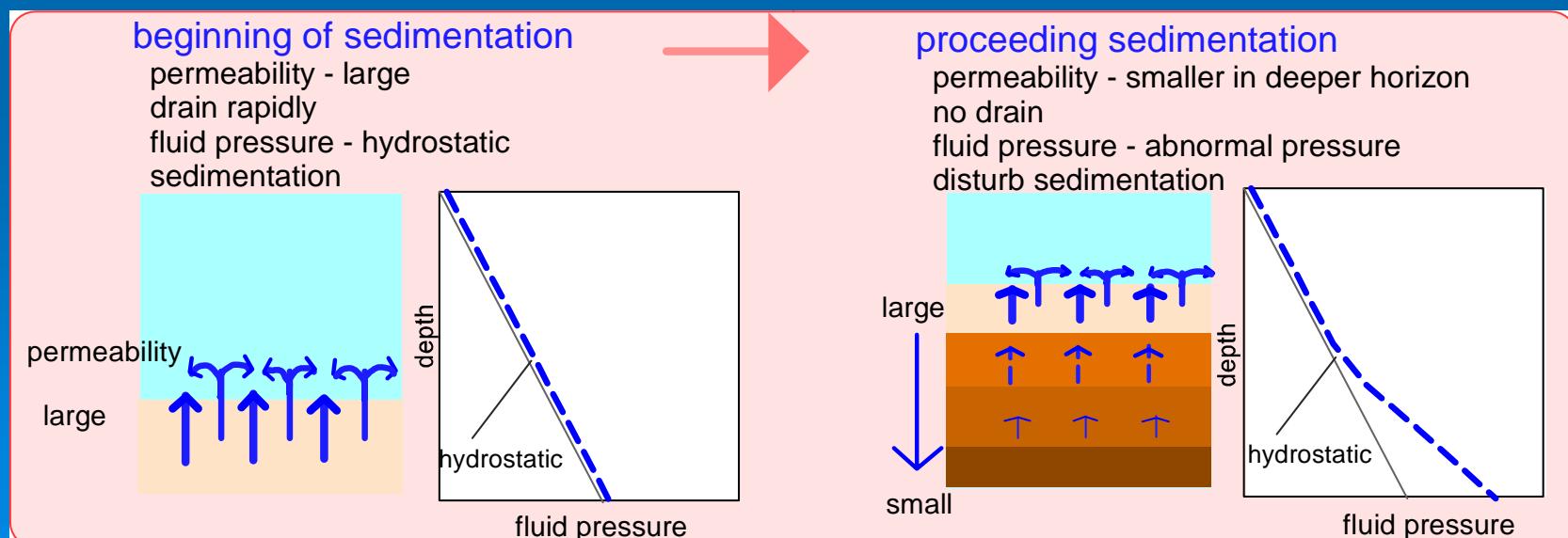


GENERATION MECHANISM of ABNORMAL FLUID PRESSURE

- ① fluid undrained by decreasing permeability and increasing loading pressure
 - a. sedimentation
 - b. tectonic loading
- ② volume change in aquathermal expansion
 - a. temperature gradient
 - b. heat origin
- ③ fluid movement from subduction boundary (Rice 1992)
- ④ dehydration (diagenesis) effect
 - a. smectite → illite + water
 - b. gypsum → anhydrite + water
 - c. hydrocarbon generation

First of all we should evaluate Mechanism ① in the sedimentary basin

IMAGE of MECHANISM ① – a





1-D NONLINEAR COMPACTION FLOW EQUATION

$$S_s \cdot \eta \left(\frac{\delta u}{\delta t} - g \cdot \rho_e \frac{\delta l}{\delta t} \right) = \frac{\delta}{\delta z} \left(K \frac{\delta u}{\delta z} \right) + \gamma \Phi \frac{\delta T}{\delta t} \rightarrow u(z, t)$$

compaction term diffusion term temperature effect

abnormal pressure

Gibson 1958/Bethke and Corbet 1988/Luo and Vasseur 1992

Darcy's law $V_z = - \frac{K}{\eta} \left(\frac{\delta p}{\delta z} + \rho_f \cdot g \right)$

effective pressures law $P_e = P_c - p = g \cdot (l - x) \cdot \rho_e - u$

conservation law $-\frac{\delta}{\delta z} (\rho_f \cdot g \cdot V_z) \Delta x \Delta y \Delta z = \frac{\delta}{\delta t} (\rho_f \cdot \Phi \cdot \Delta x \Delta y \Delta z)$

u : abnormal fluid pressure (Pa)

K : permeability (m^2)

η : fluid viscosity (Pa·s)

S_s : specific storage (1/Pa)

l : thickness of sediments (m)

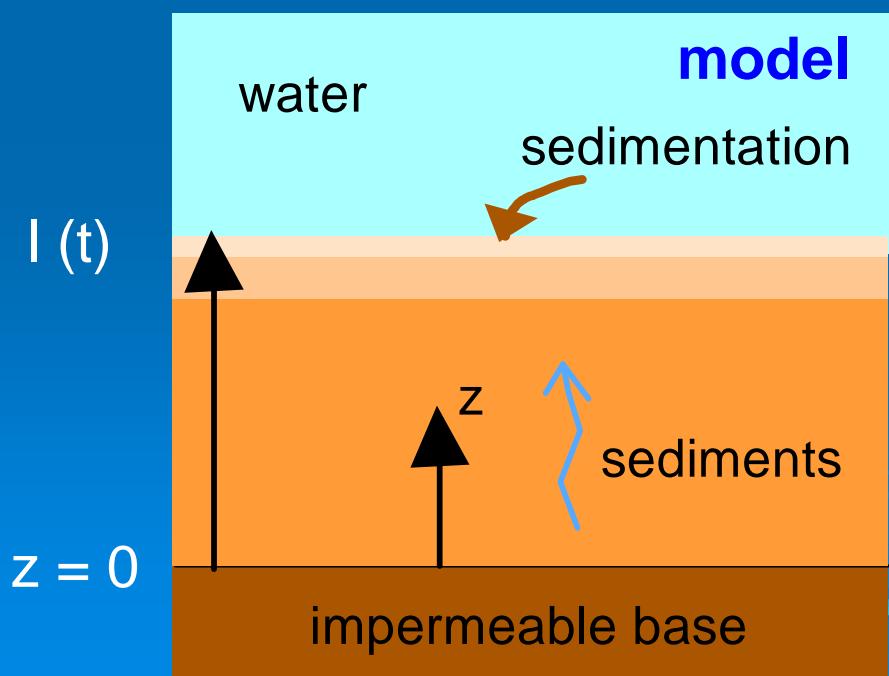
ρ_e : effective density

$= \rho$ (saturated rock density) - ρ_f (fluid density)

γ : coefficient of thermal expansibility of fluid

Φ : porosity

T : temperature ($^\circ C$)



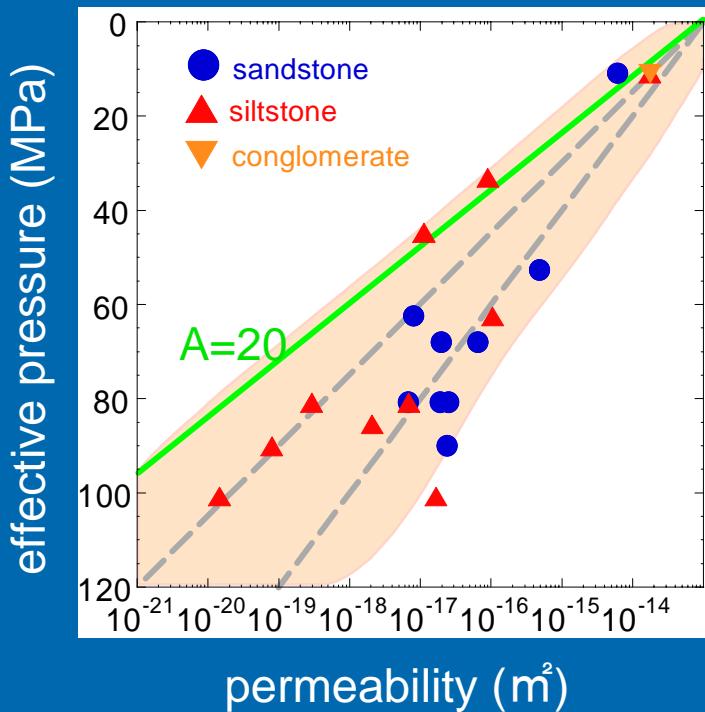
Assumption

- ① permeability of base = 0
- ② fluid moves upward (1 dimension)
- ③ permeability does not show anisotropy
- ④ temperature gradient = constant
- ⑤ sedimentation rate = constant
- ⑥ grain compressibility ≈ 0
- ⑦ water viscosity = constant

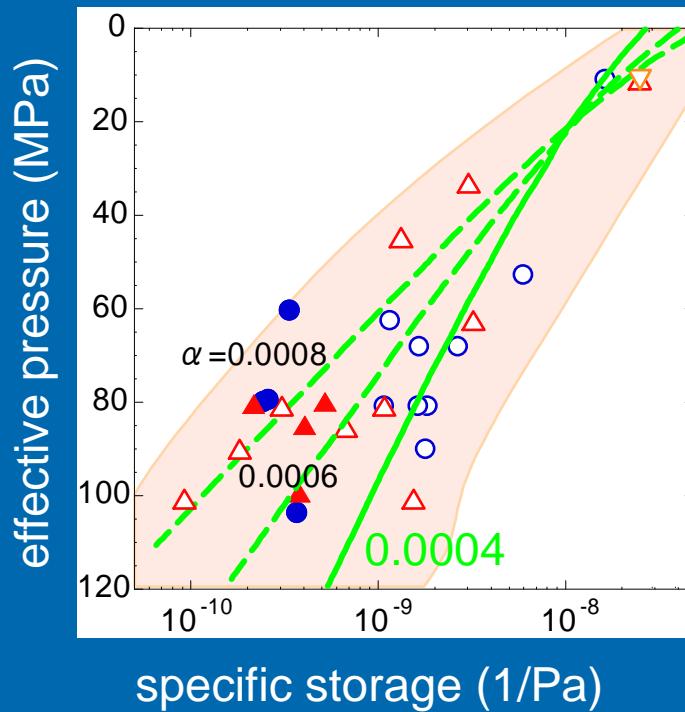


HYDRAULIC PROPERTY for CALCULATION

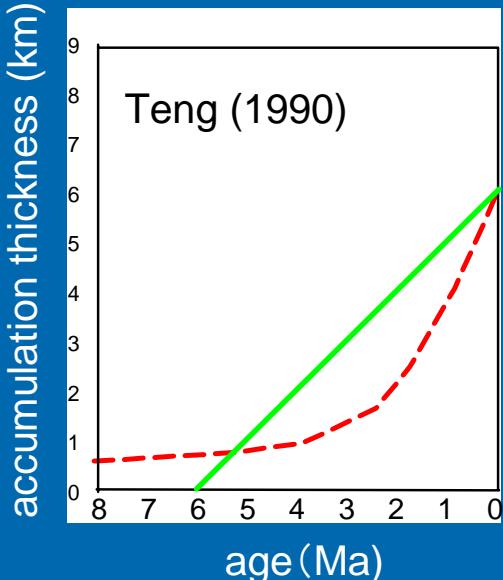
Permeability



Specific storage



Sedimentation rate



Temperature gradient

25~37 °C/km
(Suppe & Wittke 1977)

log-linear approximation

$$Pe = A \cdot \log\left(\frac{K}{K_0}\right)$$

$$K_0 = 10^{13}$$

$$A = 20$$

$$12 < A < 20$$

approximated from Athy's law

$$\Phi = \Phi_0 \cdot \exp(-\alpha \cdot \frac{Pe}{\rho_e \cdot g})$$

$$\Phi_0 = 50 (\%)$$

$$\rho_e = 1500 (kg/m^3)$$

$$g = 10 (m/s^2)$$

$$S_s = \frac{1}{1-\Phi} \frac{\Delta \Phi}{\Delta Pe} + \Phi \cdot \beta_f$$

$$\beta_f (fluid compressibility) = 4.4 \cdot 10^{-13}$$

$$\alpha = 0.0004$$

$$0.0004 \sim \alpha \sim 0.0008$$

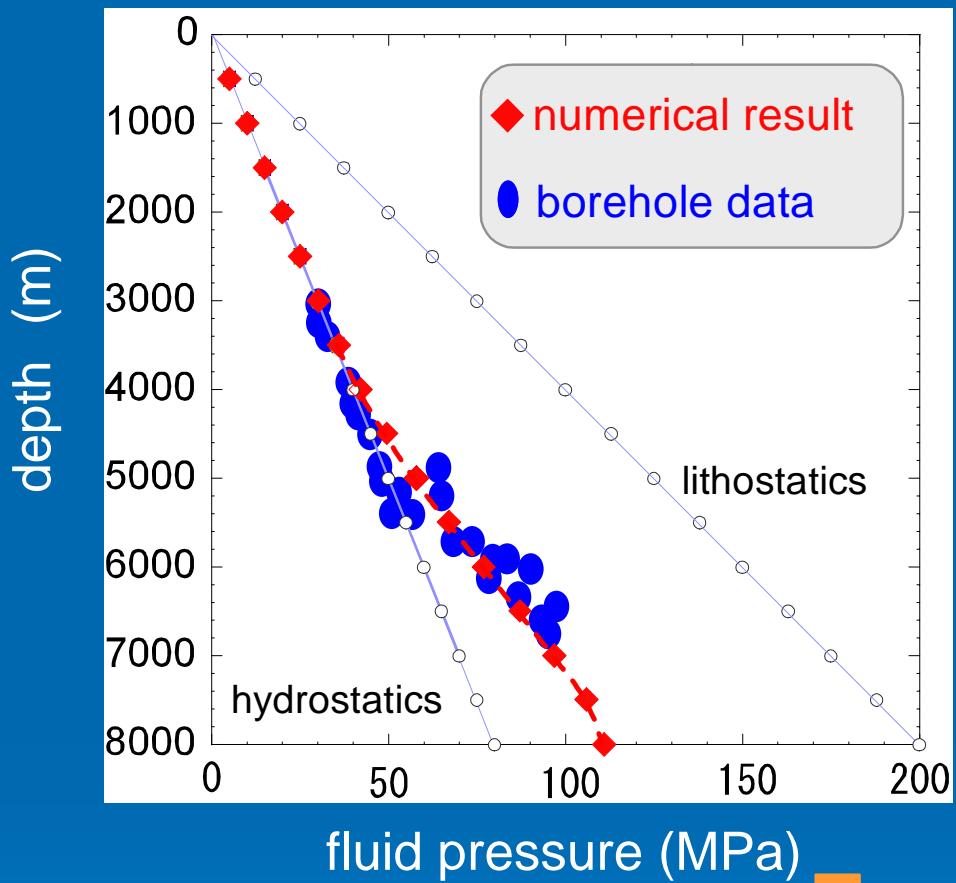
burial rate = thickness / age
1000 (m/Ma)
temperature gradient
30 (°C/km)

$$S_s \cdot \eta \left(\frac{\delta u}{\delta t} - g \cdot \rho_e \frac{\delta l}{\delta t} \right) = \frac{\delta}{\delta z} \left(K \frac{\delta u}{\delta z} \right) + \gamma \Phi \frac{\delta T}{\delta t}$$



FLUID PRESSURE DISTRIBUTION

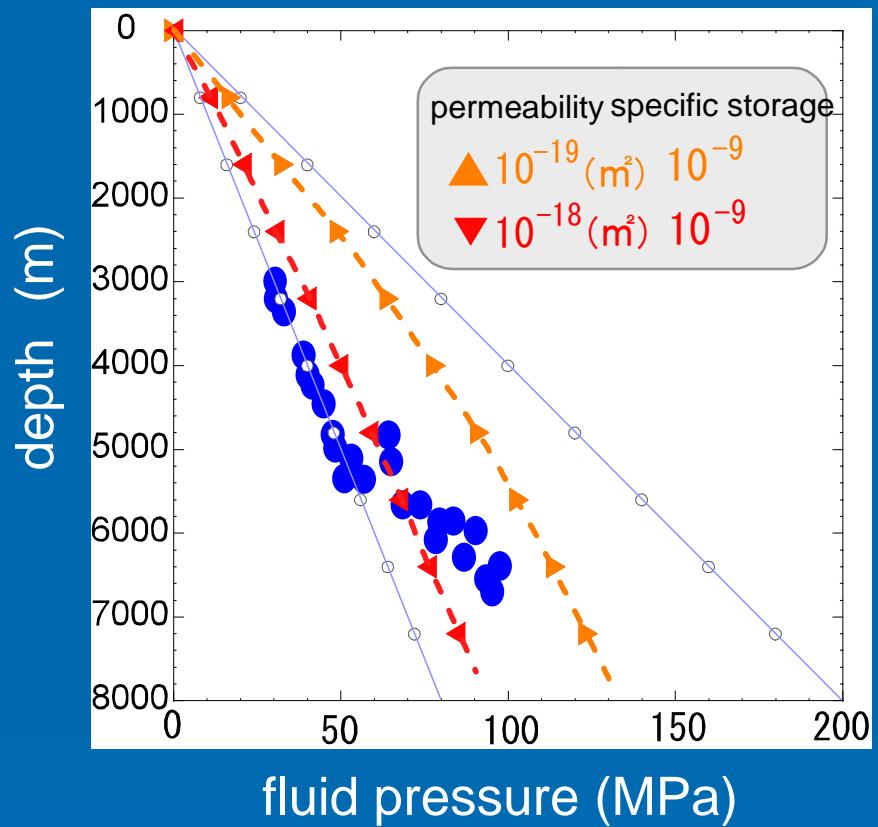
permeability • specific storage
change with pressure (our study)



$$\alpha = 0.0004 \quad A = 12 \quad K_0 = 10^{-13}$$

Predicted fluid pressure distribution showed similar result to the borehole data !!

permeability / specific storage assumed to be constant (Gibson 1958)

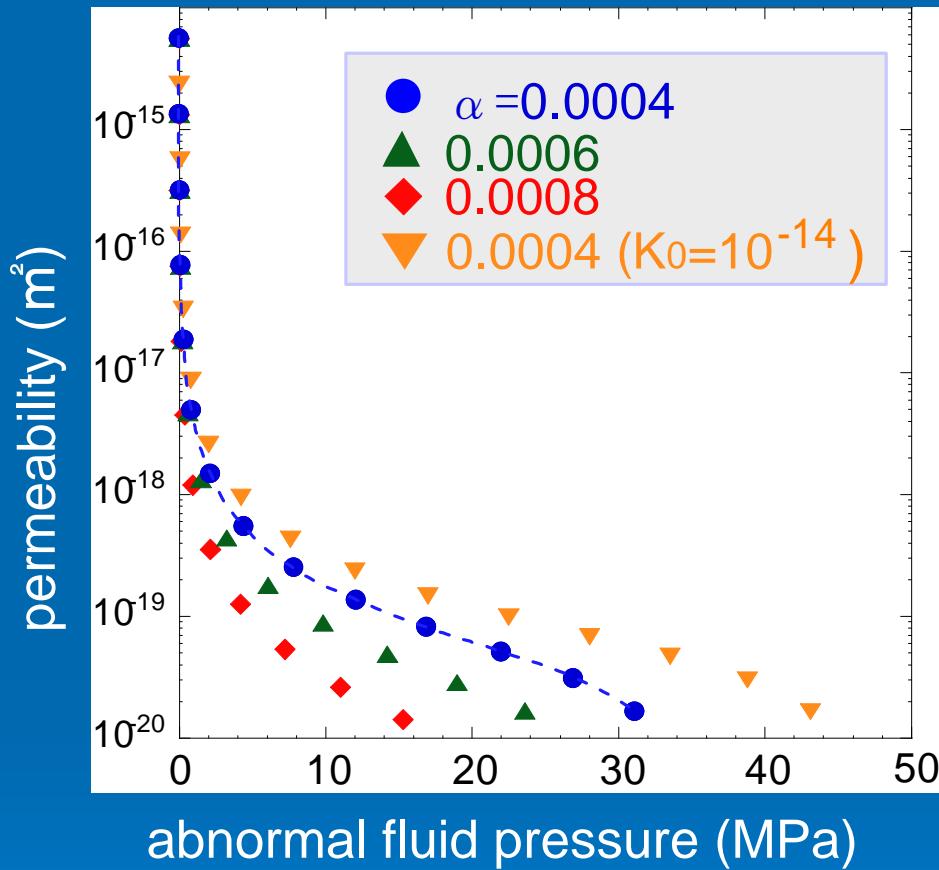


Pressure sensitivity for permeability is important !!



IN DETAILS

permeability vs abnormal pressure

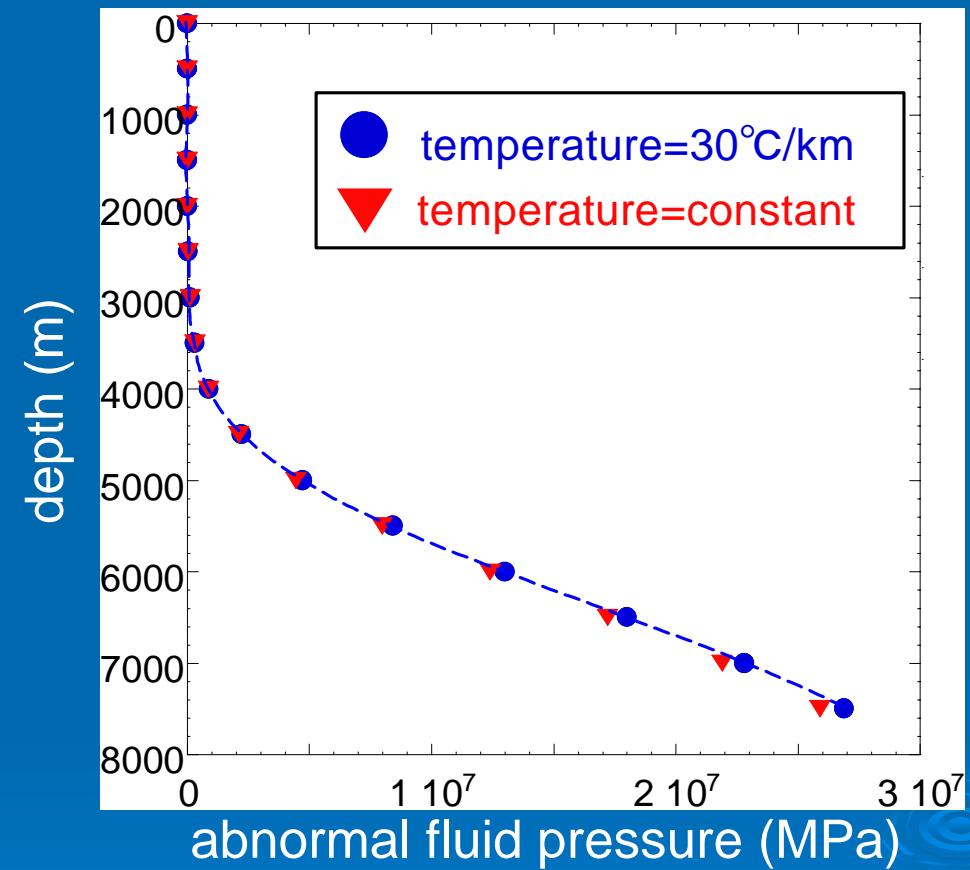


abnormal fluid pressure (MPa)



Abnormal pressure generated from
 $10^{17} \sim 10^{18} m^2$

influence of fluid volume expansion by temperature gradient



abnormal fluid pressure (MPa)



Temperature gradient has little influence
to pressure generation (mostly by the
effect of sedimentation)



PERMEABILITY STRUCTURE at The Western Foothills

estimation of
abnormal pressure

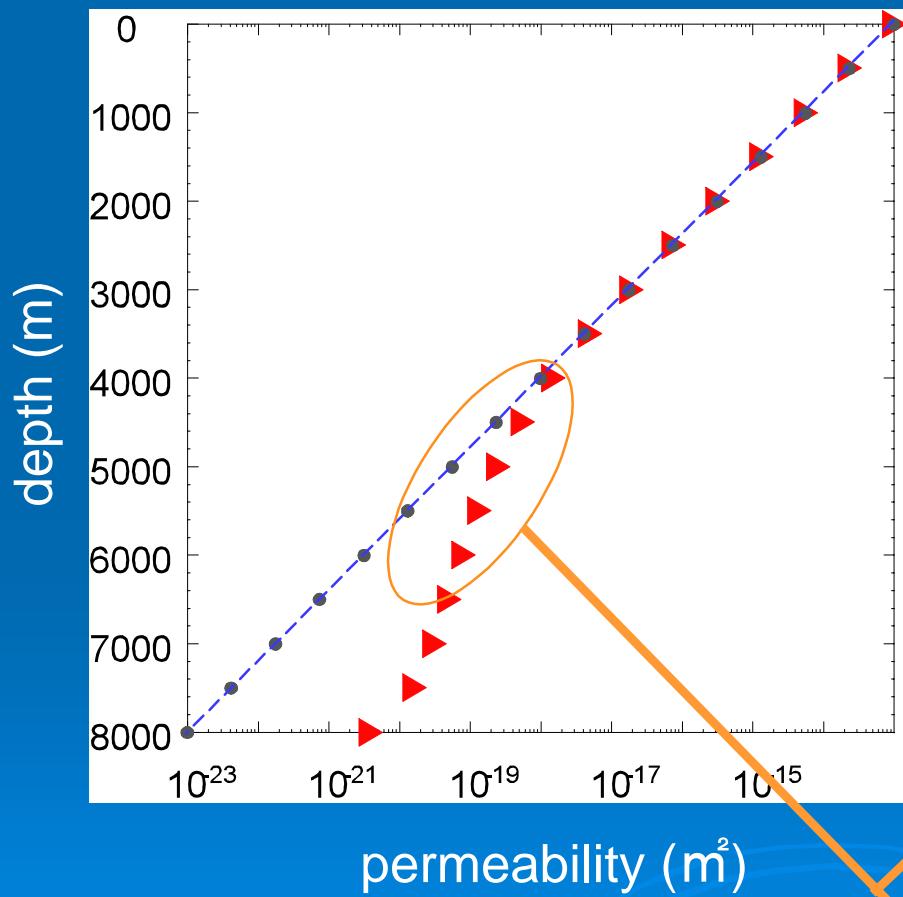
depth

vs

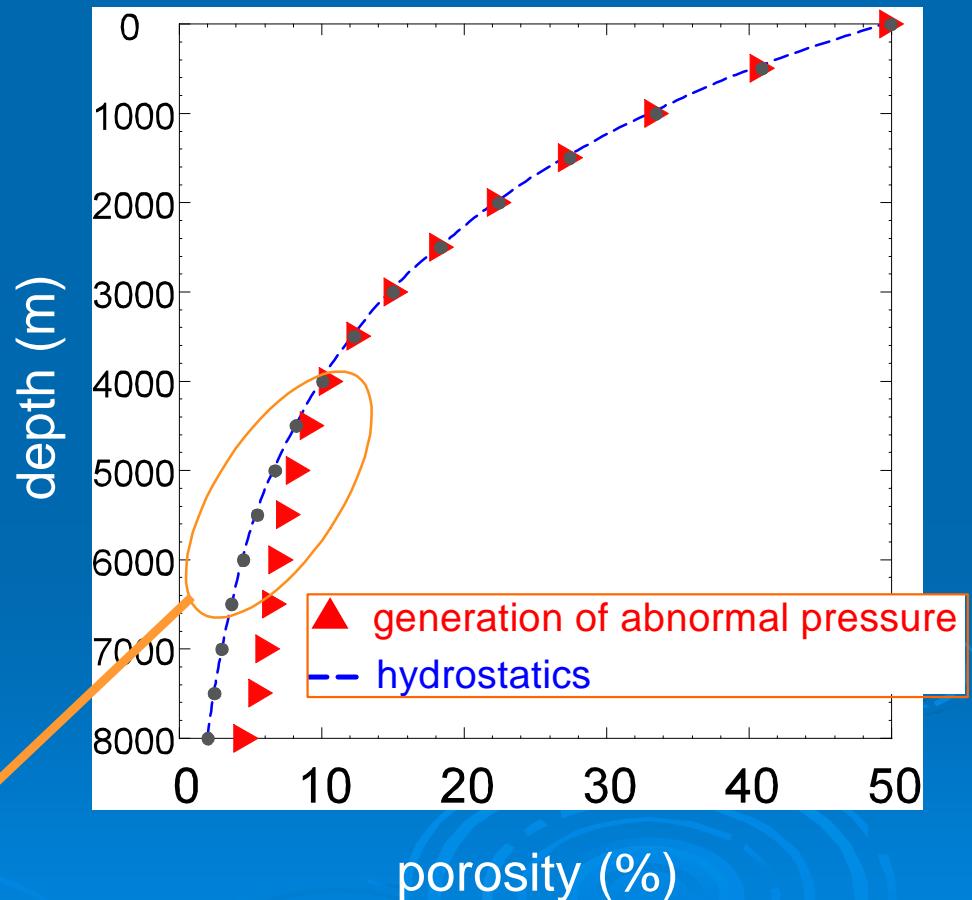
effective pressure

permeability - depth
porosity - depth

depth vs permeability



depth vs porosity



effect of abnormal fluid pressure



CONCLUSION

- ◆ We measured permeability and porosity of sedimentary rocks in the Western Foothills at high pressure condition and estimated the hydraulic properties - effective pressure relationship in this area.
- ◆ We estimated the fluid pressure distribution from one-dimensional compressional flow model and the result agreed with real borehole data.
- ◆ We estimated the hydraulic properties (permeability / specific storage / porosity) at a depth of the Western Foothills.